## Progression in Calculations. Y6

## Division.

## Year 6

## 2-digit divisors

Children build on their understanding of dividing up to 4 -digits by 1 -digit by now dividing by up to two digits. They use the short division method and focus on the grouping structure of division.

- Recording as long division
$\square$

Short Division

Ratio chart and long division:
'Becky has 434 cm of ribbon to wrap up prizes for a school competition. Each prize needs 31 cm of ribbon. How many prizes can she wrap?
$434 \div 31=$ ?

| Ratio chart: |  | Step 1 - write the divisor, frame and dividend$3 1 \longdiv { 4 3 4 }$ |
| :---: | :---: | :---: |
|  | $\times 31$ |  |
|  | 31 |  |
|  | 62 |  |
|  |  |  |
|  | 124 |  |
|  | 155 |  |
|  |  |  |
|  |  |  |
|  | 248 |  |
|  |  |  |
|  | 310 |  |

Step 2 - divide the hundreds
$1 \longdiv { 4 3 4 }$
4 hundreds $\div 31=0$ hundreds r 4 hundreds

- Write "0" in the hundreds column of the answer line.

> Step 3 - exchange hundreds for tens, combine with the existing tens and divide... $\begin{aligned} & \text { 31 } \\ & 31 \begin{array}{l}4 \\ 4\end{array} \\ & 3 \\ & 3\end{aligned} \quad$ (1 ten $\times 31=31$ tens) 4 hundreds $=40$ tens 40 tens +3 tens $=43$ tens 43 tens $\div 31=1$ ten and a remainder - Write " 1 " in the tens column of the answer line and write " 31 " underneath the " 43 "!'

## Division.

|  | Step 4 - subtract to find the remainder | Step 5 - exchange tens for ones and combine with the existing ones |
| :---: | :---: | :---: |
|  | Step 6 - divide the ones <br> (1ten $\times 31=31$ tens) <br> 124 ones $\div 31=4$ ones <br> (refer to the ratio chart) <br> - Write " 4 " in the ones column of the answer line and write " 124 " underneath the " 124 ", aligning the digits.' | Step 7 - subtract to show there is no remainder |
|  | - 'Becky can wrap fourteen presents.' |  |

## Progression in Calculations. Y6

## Division.

Division using factors Children use their number sense, specifically their knowledge of factors, to be able to see the relationship between the dividend (number being divided) and the divisor (number that the dividend is being divided by).

Long Division (1)
Children are introduced to long division as a different method of dividing by a 2 -digit number.

They divide 3-digit numbers by a 2digit number without remainders, starting with a more expanded method (with multiples shown), before progressing to the more formal long division method.

Calculate $780 \div 20$

Now calculate $780 \div 10 \div 2$

What do you notice? Why does this work?

Use the same method to calculate $480 \div 60$

Multiples of 12: $\quad 12 \times 1=12$
$12 \times 2=24$
$12 \times 3=36$
$12 \times 4=48$
$12 \times 5=60$
$12 \times 6=72$
$12 \times 7=84$
$12 \times 8=96$
$12 \times 7=108$
$12 \times 10=120$

Progression in Calculations. Y6
Division.


Progression in Calculations. Y6

## Division.

Long Division (3)
Cildren now divide using long division where answers have remainders. After dividing, they check that the remainder is smaller than the divisor.

## Long Division (4)

Children now divide four-digit numbers using long division where their answers have remainders. After dividing, they check that their remainder is smaller than their divisor.

Children start to understand when rounding is appropriate to use for interpreting the remainder and when the context means that it is not applicable.

Tommy uses this method to calculate 372 divided by 15
He has used his knowledge of multiples to help.


$$
\begin{aligned}
& 1 \times 15=15 \\
& 2 \times 15=30 \\
& 3 \times 15=45 \\
& 4 \times 15=60 \\
& 5 \times 15=75 \\
& 10 \times 15=150
\end{aligned}
$$

Amir used this method to calculate 1,426 divided by 13

|  |  |  | 1 | 0 | 9 | $r$ | 9 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | 3 | 1 | 4 | 2 | 6 |  |  |
|  | - | 1 | 3 | 0 | 0 |  |  |
|  |  |  | 1 | 2 | 6 |  |  |
|  | - |  | 1 | 1 | 7 |  |  |
|  |  |  |  |  | 9 |  |  |

Progression in Calculations. Y6

## Division.

|  |  | culation without remainder: <br> Short division |
| :---: | :---: | :---: |
|  | $\begin{aligned} & \text { Four-digit } \div \text { two-digit } \\ & 7,283 \div 28=? \\ & \begin{array}{\|lllll} \text { Long division } \end{array} \\ & \begin{array}{rrrrr} 28 & 2 & 6 & 0 & r 3 \\ \hline 7 & 2 & 8 & 3 & \\ 5 & 6 & & \\ \hline 1 & 6 & 8 & & \\ \hline 1 & 6 & 8 & & \\ \hline & 0 & 3 & \end{array} \end{aligned}$ | ulation with remainder: <br> Short division |

Progression in Calculations. Y6
Division.


## Division.



## Division.



## Division.



## Division.



Progression in Calculations. Y6
Division.

| $354+15=$ ? |  |  |
| :---: | :---: | :---: |
| $\begin{array}{llll} 1 5 \longdiv { 3 } & 3 & 4 & 19 \\ 3 & 0 & & \\ \hline 5 & 4 & \\ 4 & 5 & 9 \end{array}$ | $\begin{array}{rlr}  & \begin{array}{ll} 2 & 3 \end{array} \frac{9}{15} \\ \hline 3 & 5 & 4 \\ 3 & 0 & \\ \hline & 5 & 4 \\ & 4 & 5 \end{array}$ | $\begin{array}{rll} 1 5 \longdiv { 3 } & 5 & 4.6 \\ 3 & 0 & \\ \hline 5 & 4 & \\ 4 & 5 & \\ & 9 & 0 \\ & 9 & 0 \\ & & 0 \end{array}$ |
| So, $354+15=23 \mathrm{r} 9$ | $\frac{9}{15}=\frac{3}{5}$ <br> So, $354 \div 15=23 \frac{3}{5}$ | So, $354+15=23.6$ |

